Date: 9-2-2021

Trigonometric.	Imb Fo	rmula e-
· Radian and Degree	Measures	of Angles

1 rad = 180° & 1° - 7

0-01	180						
Angle degree 0	30	45	60	90	180	270	2/-
Angle radians o	J	I	J	T	7	210	360
Contraction	6	4	3	2	1	2	21
· Siglas of	Trian	-		-			

· Siglas of Trigonometric Function:

Quadrant	Sinx	CDON	T			
Quadrant I	1	COSX	Lana	COLX	seco	coseco
11	I	+ ,	+	+	+	4
						1
IV			+	+		1
· Trigonome	T.	<u>+</u>				

· Trigonometric Functions of common angles:

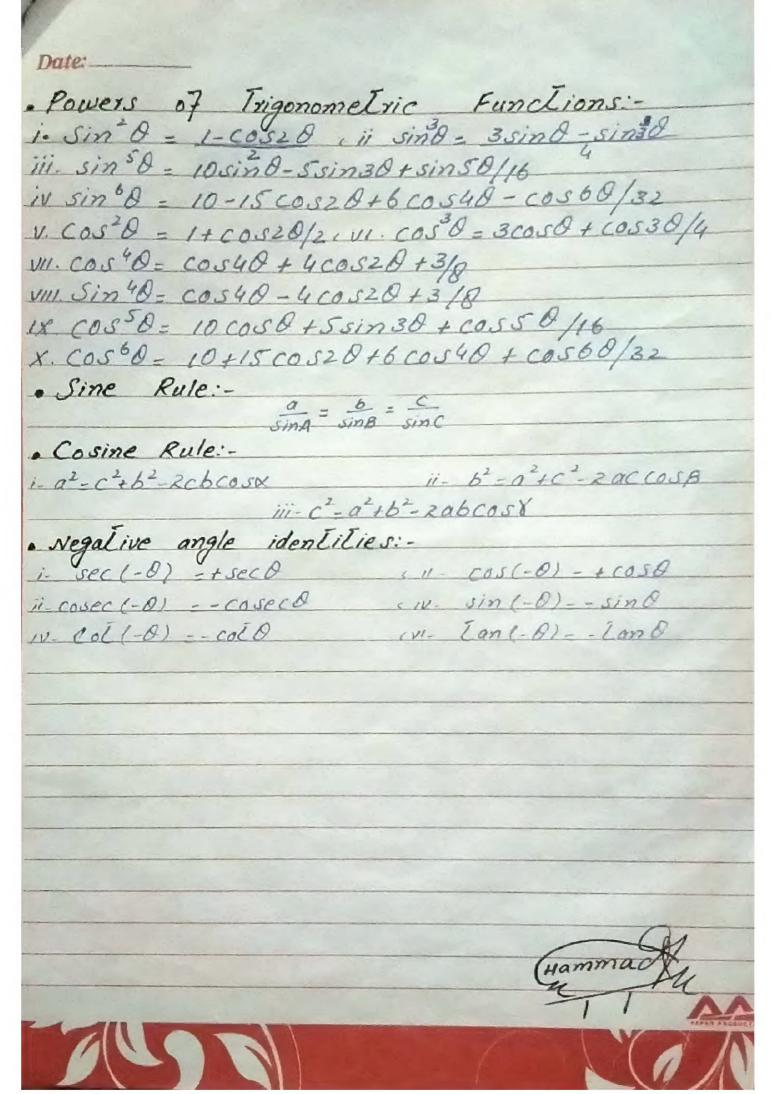
igies	Sin &	COSX	[an &		1	angles
0	0	1	cana	CoEx	seco	Coseco
30	1	=	10	00	1	
	2	√3 2	1	V3	1	00
45	1/1/2		V3		V3	2
60		1/12	1	1		
	13 2	1	V3	1	VZ	1/2
0		2	73	1		
90	1	0		√3		V3
120	13	,	000	0		100
	2	1 2	-V3	- 1	000	+ 1
180	0			V3	-2	1 2
270		-1	0		-	V3
360	/	0		100	-1	
	0	1	00	0	000	100
-			0	100	+00	

Date: 9-2-2021 Most Imp Formulas: i- sin'8 + cos20 = 1 (iv- Lanx = sin x ii- secto - Ian' & - 1 . V - col & = cosa coso iii- coseco- col'd - 1 (vi- Land - 1 sing vii- coseco - coseco - sing · Addition and Subtraction Formulas: i - sin(x+B) = sinx cosp + cosx sing ii - sin (x-B) = sinx cosp - cosx sing iii - cos(x+B) = cosx cosp-sinx sing iv- cos(x-B) = cosx cosp+ sinx sinp V- Lan(x+β) - Lanx + Lanβ (vi-Lan(x-β)-Lanx-lanβ
1- Lanx lanβ
1+ Lanx lanβ vii. col (x+B) = col-lanx lang viii - col (x-B)-1+ lanx lank Lan a + Lang Lan a - Lang Holf angle Formulas: $i-\sin \alpha + \int_{-\infty}^{\infty} \frac{1-\cos \alpha}{2} = i + \int_{-\infty}^{\infty} \frac{1+\cos \alpha}{2}$ iii. Lan & - + [1-cosx iv- colox - + [1+cosx 1+ cosx 2]

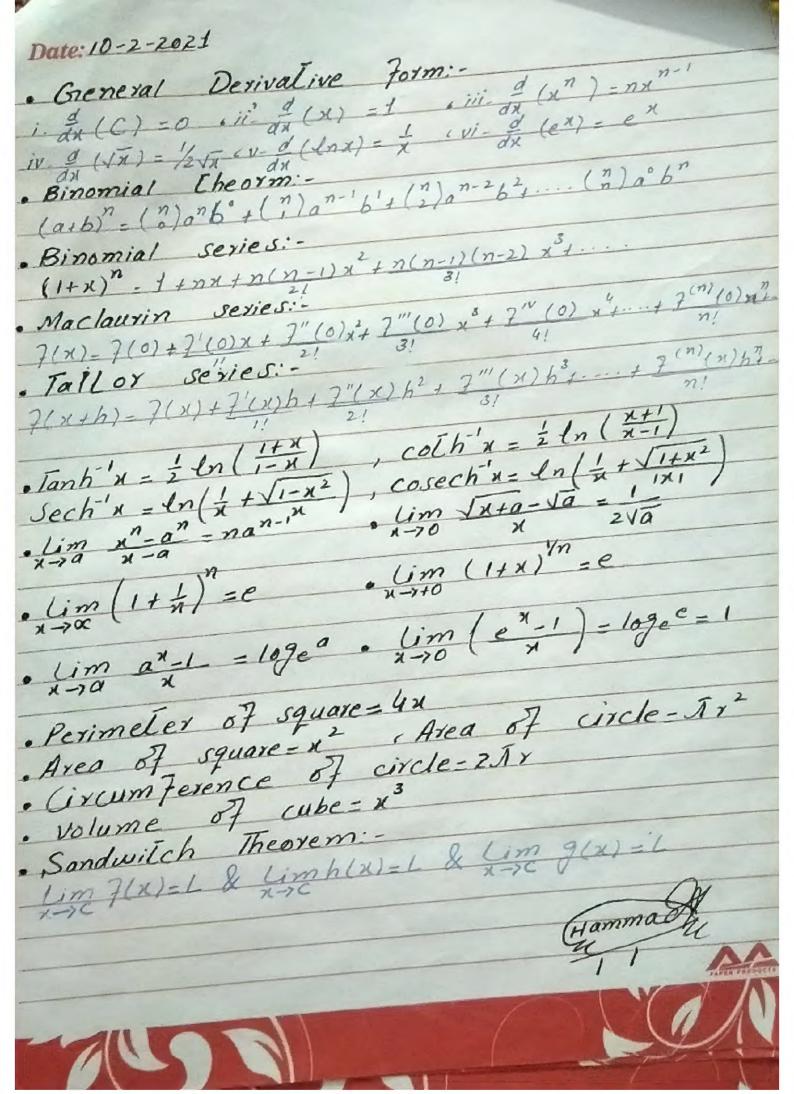
Double angle Formulas: i- Sinzx = 2sinx casx 11- COS2x - COS x - sin x -1 - 2 sin x -2 cos x - 1 $iii - \overline{Lan2} \propto -\frac{2}{1 - \overline{Lan^2}} \propto \frac{2}{col} \propto -\overline{Lan} \propto$ $iv - coliz \propto = col^2 \propto -1$ = colx-lanx 200LX Half angle Tangent Identities:
i-sin \(\times = 2 \times \frac{1}{2} \)

i+\times \frac{1}{2} \quad \frac{1} \quad \frac{1}{2} \quad \frac{1}{2} \quad \frac{1}{2} \quad \q

Date: 9-2-2021 $m - \overline{lan} \propto - 2\overline{lan} \propto /2$ $iv - Co \overline{l} \propto - 1 - \overline{lan}^2 \propto /2$ $1 - \overline{lan}^2 \propto /2$ $2\overline{lan} \propto /2$ · Transforming of Trigonometric Expressions to Product i. sinx + sin B = 2 sin X+B 11- Sin & - Sin B - 2 COSX+B Sin X-B 111- COSX + COSB -2 COSX + B/2 COSX-B/2 iv COSX - COSB =- 2 sin x+B/2 sin x-B/2 V- Lanx+ Lang-sin(X+B), VI-Lanx-Lang-sin(X-B)
COSX-COSB
COSX-COSB COS & COSB vii- cota + colp-sin(x+B) vIII-colx-colp-sin(x-B)
sinx-sinB 1x - COSX + Sinx = \(\frac{1}{2}\) COS(\frac{1}{4} - \alpha) = \(\frac{1}{2}\) Sin(\frac{1}{4} + \alpha\) x-cosx-sinx-12 sin (1 -x)-12 cos (1+x) XI- Lanx + COIB = COS(X-B) (XII-Lanx-colp= cos(X+B) COSX. SinB XIII- 1+ COSX = 2 COS 2 (XIV-1-COSX = 28in 2) · Transforming of Trigonometric Expressions to sum 1-25in x sin B = cos(x+B) - cos(x-B) 11.2 sinx cosp - sin (x+B) + sin (x-B) 111. 2 COSX sin & - sin (x+B) - sin (x-B) IV-2 COSX COSB = COS (X+B) + COS (X-B) V. Lana Lang- Lana + Lang , VI. colx. colp-colx+colB COLX + COLB VII. Lanx ColB- Lanx + ColB colx + Lang TO BO



Detivatives: Power rule: $\frac{d}{dx}[x^n] = nx^{n-1}$ Chain rule: $\frac{d}{dx}[7(g(x))] - 7'(g(x)) \cdot g'(x)$ Product rule: $\frac{dy}{dx} = \frac{dy}{dx} \times \frac{dy}{dx}$ Date: 10-2-2021 • Quolient xule: [7(x)9(x)] - 7'(x)9(x) + 7(x)9'(x) [7(x)/9(x)] - 7'(x)9(x) - 7(x)9'(x) • Trigonometric functions:- [9(x)]² i- dx (sinu) = cosx iv. dx (cosecx) = -colx.cosecx ii- d (cosx) -- sinx v. d (secx) = Lonx. secx iii d ([anx) = sec x Functions:-· Inverse Trigonometric i- ax (sin-'x) = 1/1-x2 ii. dx (505'x) = -1/11-x2 iii- dx ([an'x) - 1/1+x2 1 iv - ax (col x) = -1/1+x2 V-d (sec'x) - //x//x-1 · vi - Jx (cosec'x) = -1/1x1 /x2-1 · Hyperbolic Junctions:i- dx (sinh x) = cosh x (ii-dx (cosh x) =-sinh x iii- dx (Tanh x) - sechx (iv- ax (sech x) = + sech x. Lanhx V-d (colhx) =-cosechx (vi-d (cosechx) = - cosechx. colhx i- sinh x = ex-e-x/2 ii cash x = extex/2 iii. Lanh x - ex-e-x ex+e-x in cothx - exte-x V cokech x - ex-e-x evi sech x = extex · Derivatives of inverse hyperbolic functions:i- dx (sinh x) = 1/1+x2 (ii- ax (cosh'x) - 1/1x2-1 iii. d (Tanh'x) = 1/1-x2, 1x/et (iv. dx (colh'x) = 1/1-x2, 1x/21 · v. d (cosech'x) = -1/(x1/1+x2 (vi-d (sech'x) = -1/x /+-x2 i sinh x = ln(x+/x2+1) (ii cosh x = ln(x+/x2-1)



1/1 DATE 27-5-2021 CH-3: Integration form:-. General integration => Stdx = x => $\int odx = C$ => $\int x^n dx = \frac{x^{n+1}}{n+1} + C$ => $\int a^n dx = \frac{a^n}{n+1} + C$ => / = dx = In/x/+C => [e2dx = ex+C => Je2dx = = +C 2: JCOSXdx = Sinx+C 1:- Sinxdn = - COSX+C 3: Sec'ndn = Tanx +C 4: | cosec xdx = - col x+c b: Cosecx Col xdx = - Cosec x+C 5: SecxTonxdx = Secx+C 8: Jenx dx = enx +C 7: Sinnxdx = - Cosnx +C 10: $\int \frac{-1}{1+x^2} dx = co \xi' x + c$ 12: $\int \frac{-1}{\sqrt{1-x^2}} dx = co \xi' x + c$ 9:5 - 1 dx = Tan x+C 19: J cosecudn - In/cosecn-coen/+C 20: $\sqrt{a^2-x^2} = 7 \times = a \sin \theta \ 21: \sqrt{x^2-a^2} = 7 \times = a \sec \theta$ 22: $\sqrt{a^2+x^2} = 7 \times = a \tan \theta \ 23: \int \sqrt{a^2+x^2} dx = 4n/x + \sqrt{a^2+x^2}/+C$ 24: Juz-a2 du = In/x + Vx2-a2/+C

CITY TIME CIC GREETING	
Date: 10-4-2021 CH-4 Analytic Geometry Quadrant 1: x>0, Y>0 Quadrant 11: x<0, Y>0	
Quadrant III: x20, 120	_
Quadrant IV: X>0, Y<0	
Phythagorean Theorem:	-
Phythagorean Theorem: IABI + IBCI - ICAI	er spec ver
Distance formula: $d = AB = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$	
Section formula: i) When the vatio $K_1:K_2$ is internal. $\begin{pmatrix} K_1 \times 2 + K_2 \times 1 \\ K_1 + K_2 \end{pmatrix} \times \begin{pmatrix} K_1 \times 2 + K_2 \times 1 \\ K_1 + K_2 \end{pmatrix}$	
(K, X2 + K2 X1 , K, Y2 + K2 Y1)	-
K1+K2 K1+K2 /	
il when the valio Ki K2 15 chieffer	
1 KIN2-K2X1 2 K1 Y2-K2X1	-
$\begin{pmatrix} K_1 \times 2 - K_2 \times 1 & K_1 \times 2 - K_2 \times 1 \\ K_1 - K_2 & K_1 - K_2 \end{pmatrix}$	-
1.1. I Jamesula:	
Midpoint Jornala:	_
$ \frac{Miapoine}{\left(\begin{array}{c} x_1 + x_2 \\ 2 \end{array}, \begin{array}{c} y_1 + y_2 \\ 2 \end{array}\right)} $	_
	_
(entroid formall ax, +bx2+Cx3, ax, +bx2+Cx3)	_
Centroid Formula: (ax, +bx2+Cx3, ay, +by2+Cy3) (ax) +bx2+Cx3, ay, +by2+Cy3)	-
Equation of Translation:	-
Equation of $X = x - h$ $Y = y - K$	
7. 7 Palation	
Equation of Rotation: X= xCos0 + YSin0	
$Y = y \cos \theta - x \sin \theta$	
	(annual (m)
Slope=m=Tonx m= Y2-Y1 (if Lwo points are given) x2-x1	-
m= 12-11 (1+ (WO paras	010
	1
	1

1 me Delle 10 - Le 2021 . It is houzopial, m is zero of I is vertical, m is undefined IJ ococegó, m is positive 17 gocx (Bo, m is negative m=-0 17 line (ox+by+c+o) is given Two lines one parallel if m,=m2 also a, b2-a2b, =0 Two lines are perpendicular m, m; =-1 Slope of AB = Slope of BC Thus A, B and C are Collinear Slope intexcept form Y=mx+C Iwo intercept form x + Y = 1 Equation of Jorn Line: $(Y-Y_1)-m(X-X_1)$ Symmetric From x-x, - y-1, =x Nomal From x Cosx + Visinx=P 1×3 ×3 1 , m, +m2 = -2h & m, m2 = 9 Tond = m2 - m4 Jan 0 = 2 1/2-ab h2-ab=0 then lines are concident a+6=0 Then 0=90° Joint equation an'+ 2 hay + by + 2 gx + 27y+c=0
Homogeneous equation an + 2 hay + by=0

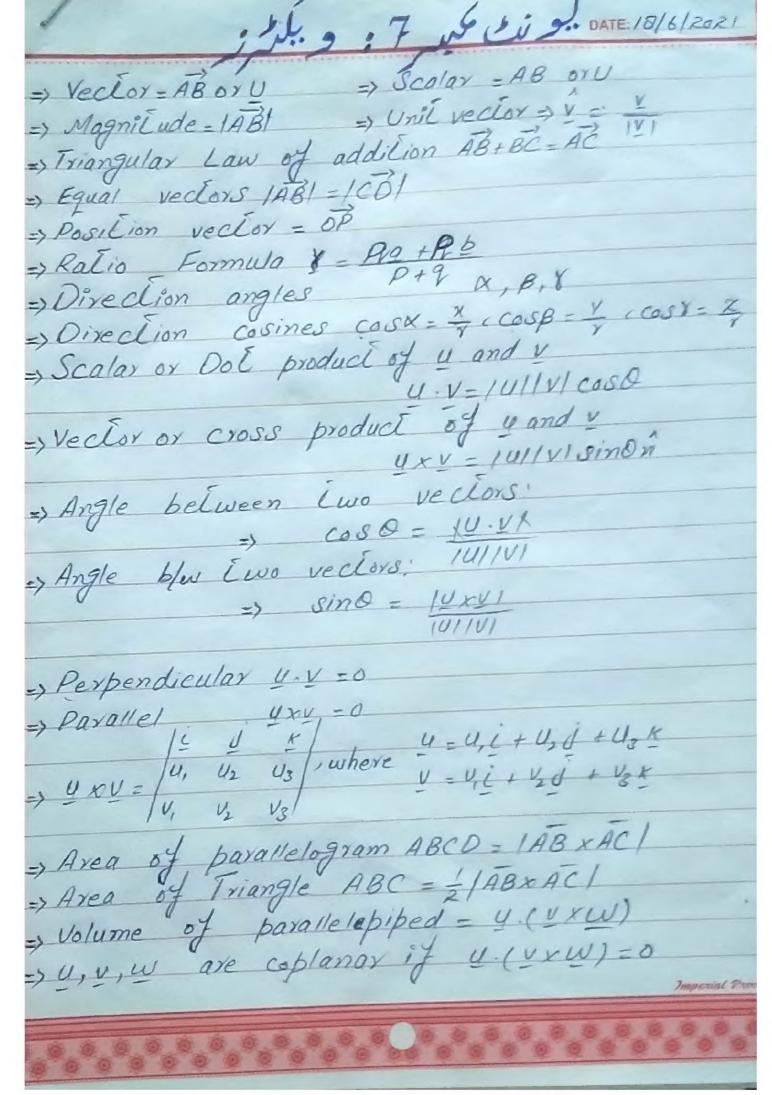
CH 6: Conic Sections DATE Equation of circle in standard form: (x-h) + (Y-K) = x2 : C(h.K), radius - x Equation of circle when centre is at origin: Parametric equations: x=100s0 C Y=rsine Equation of circle in General form: x+Y2+29x+274+C=0 Centre (-9,-7) (Kadius (= 192+7+c 1. A circle passing through three non-collinear points 2. A circle passing through two points having its centre on a given line. $(x-x_1)(x-x_2)+(Y-Y_1)(Y-Y_2)=0$ 3. A circle passing through two points and equation of largent at one of these point know Louching a given line.

Equation of Tangent: XX, + 14, + 9(X+X,)+7(Y+Y,) + C=0 Equation of normal: (Y-Y1) (x1+7) = (x-x1) (Y1+7) Tangent lo circle: $C' = a^2 (1+m^2)$ or $C = \pm a \sqrt{(1+m^2)}$

Length of Longent:

1x1+1,+29x,+271,+C

Scanned with CamScanner



=> Volume of Televahedron = = (V.(VXW))

=> Work done = F.D

=> Moment of force = YXF

=> Y.VXW = 14, U2 U8

| V, V2 V3

| W, W2 W3 => 4. VXW = V. WXU = W. UXV

